



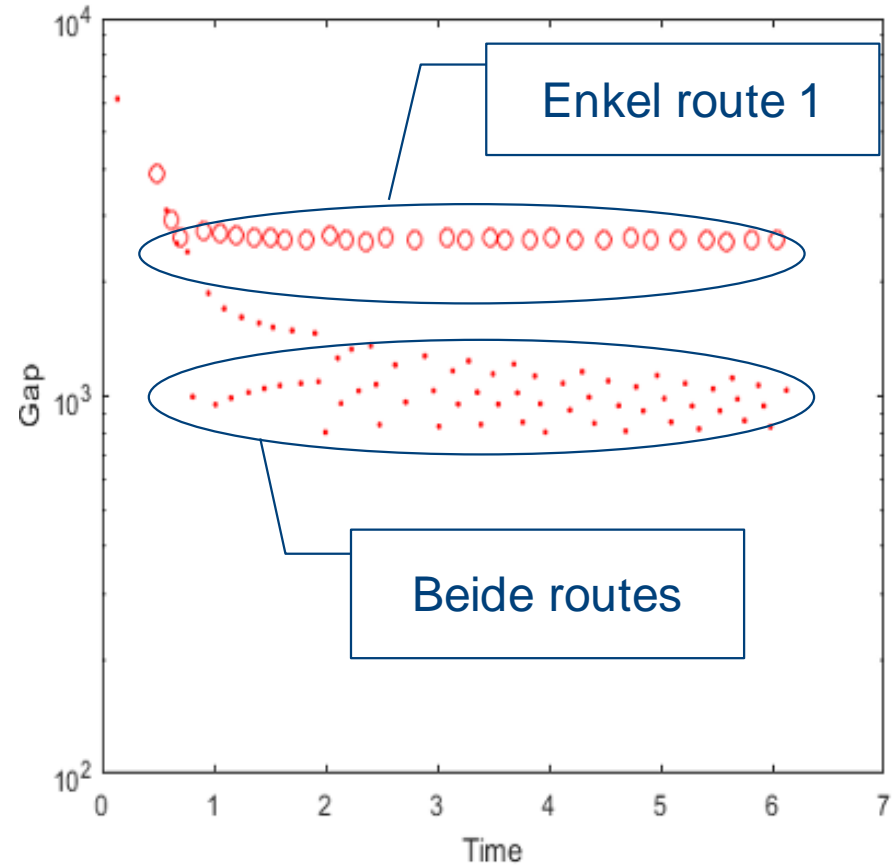
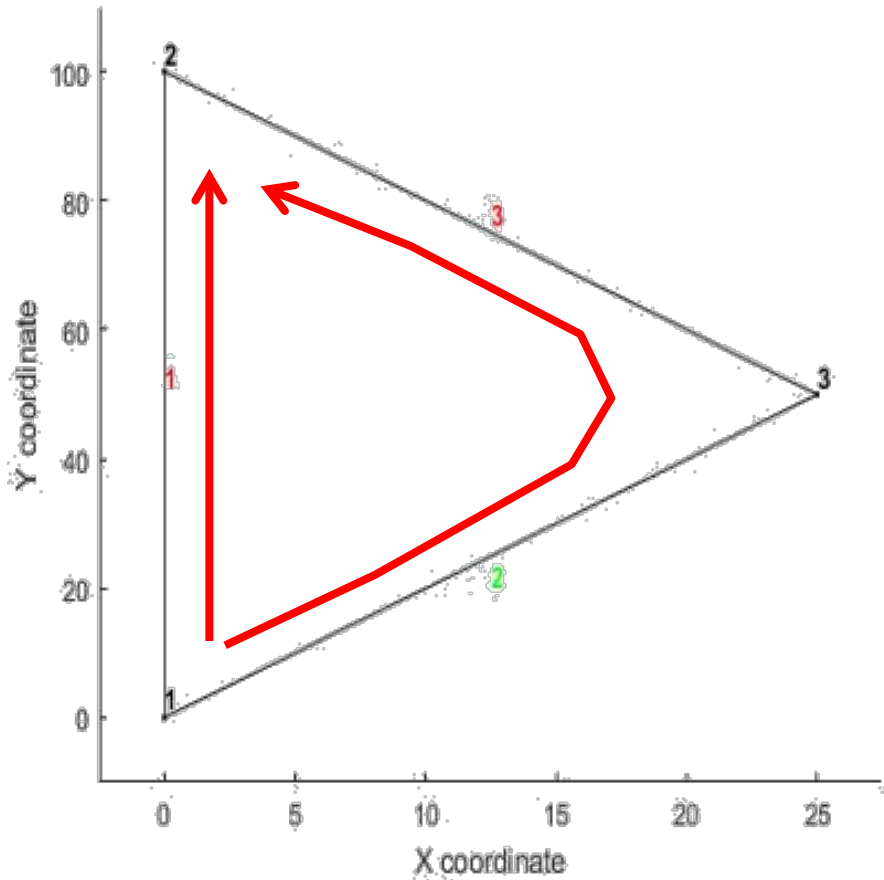
# Route choice equilibration algorithm for stochastic dynamic traffic assignment with full route set

Ir. Jeroen Verstraete

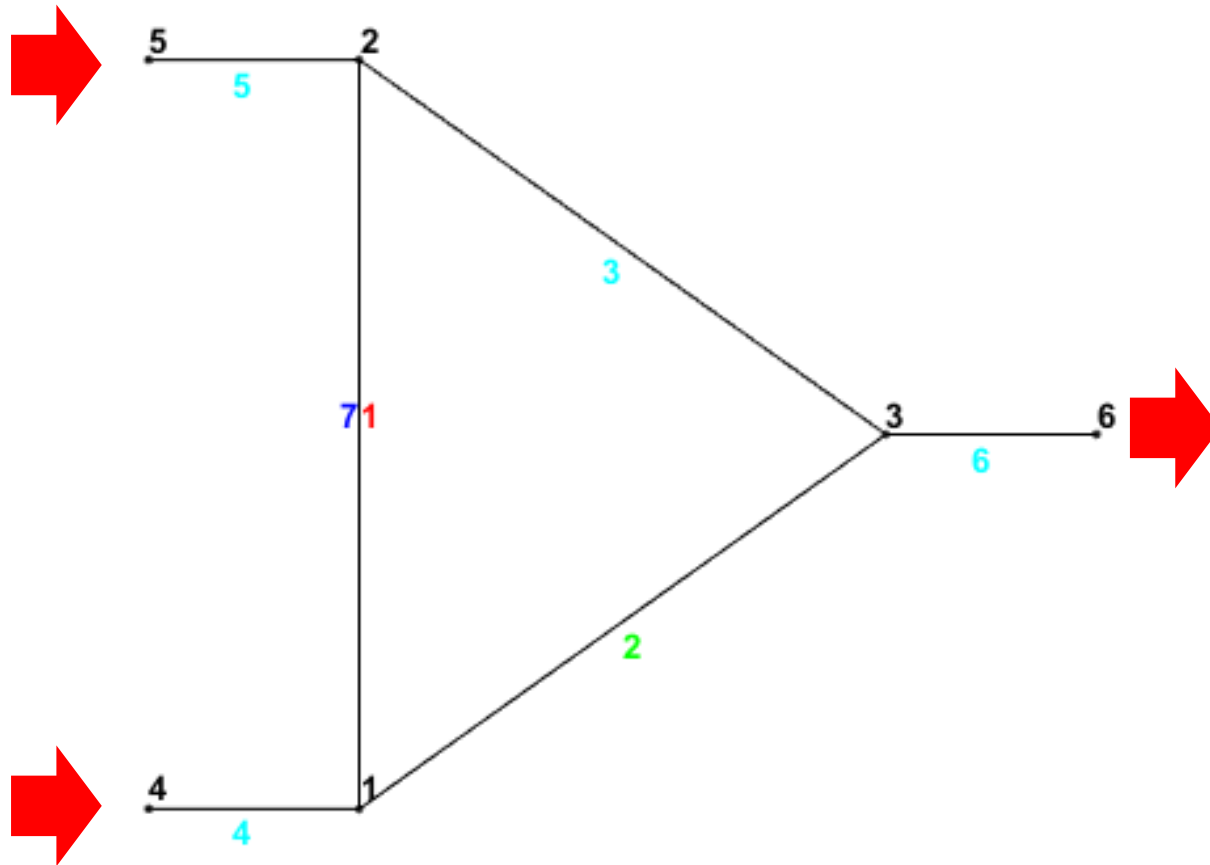
Dr. Ir. Willem Himpe  
Prof. Dr. Ir. Chris M.J. Tampère



# Route set



# Route set – Bestemming gebaseerd



$N1 > N2$   
Of  
 $N1 < N2$

# Volledig impliciet Vaste Route set

- Recursive Logit (Fosgerau, 2013)

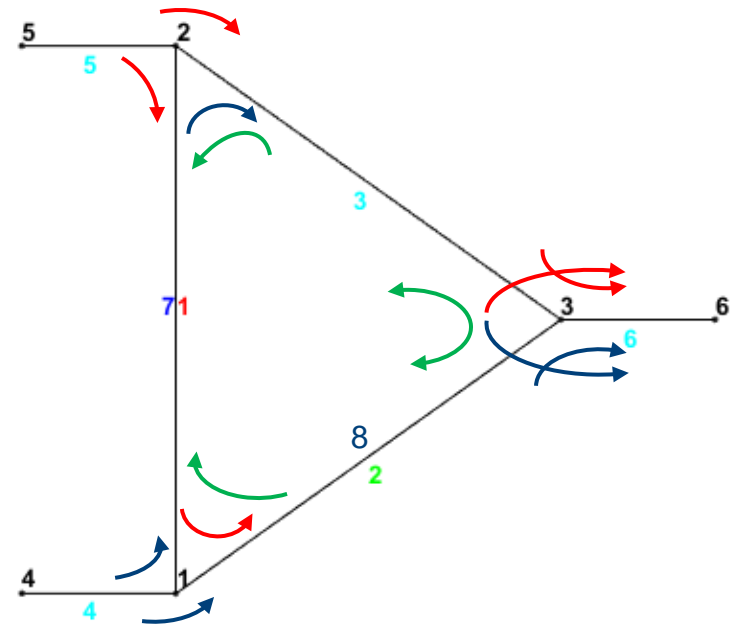
- Path Probabilities:

$$P_{536} = P_{53} * P_{36}$$
$$P_{5726} = P_{57} * P_{72} * P_{26}$$

} 1

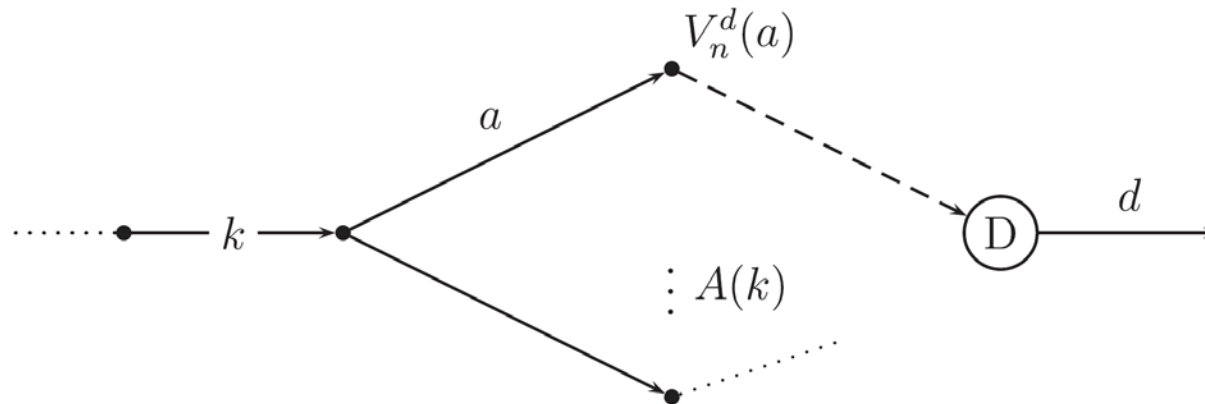
$$P_{538736} = P_{53} * P_{38} * P_{81} * P_{13} * P_{36}$$

$$P_{426} = P_{42} * P_{26}$$



Voor zelfde bestemming

# Kans van een 'turn'(cfr Dial, 71)



$$\underline{V_n^d(k)} = E \left[ \max_{a \in A(k)} (v_n(a|k) + \mu \epsilon_n(a) + \underline{V_n^d(a)}) \right]$$

$$v_n(a|k) = \beta_{TT} * TT + \beta_{UTurn} * Uturn + \beta_3 * Characteristic3 + \dots$$

Left Turns, signalized intersections

# System of equations

$$e \quad V_n^d(k) = \begin{cases} \mu \ln \sum_{a \in A} \left( \delta(a|k) \exp \left( \frac{1}{\mu} (v_n(a|k) + V_n^d(a)) \right) \right) & \forall k \in A \setminus d \\ 0 & k = d \end{cases}$$

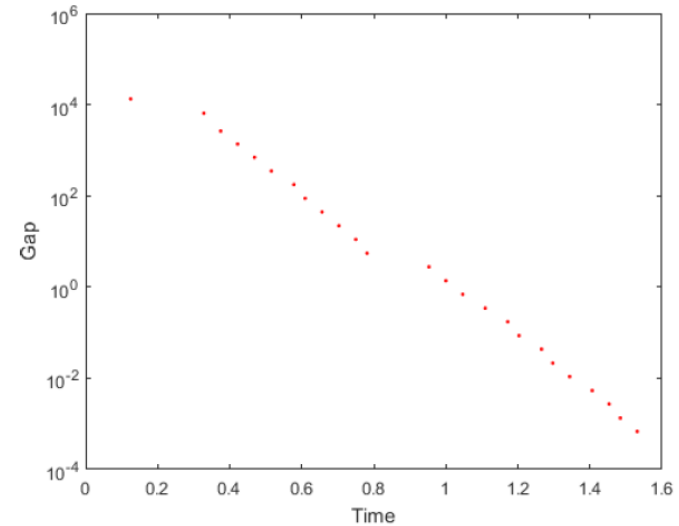
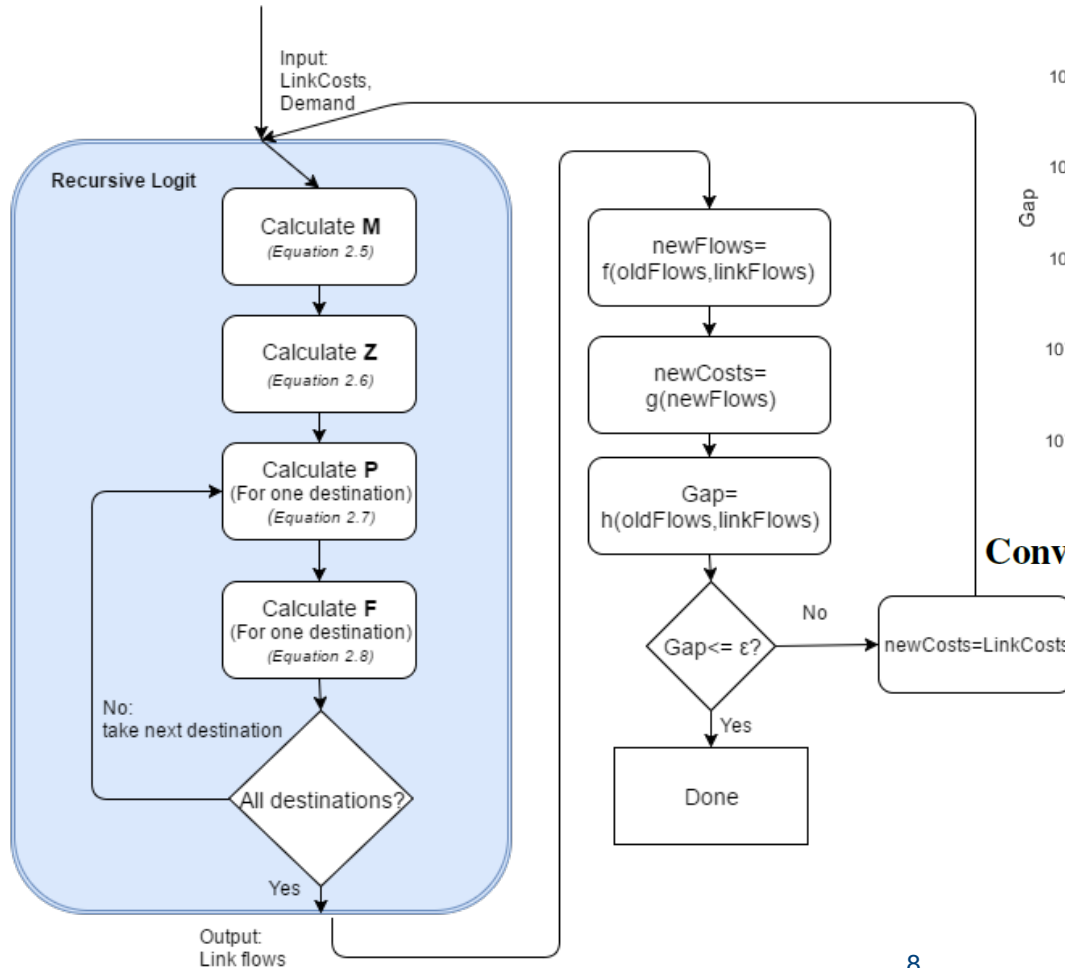
$$\underline{\mathbf{z}} = \underline{\mathbf{M}} \underline{\mathbf{z}} + \mathbf{b} \iff (\mathbf{I} - \mathbf{M}) \mathbf{z} = \mathbf{b}$$

$\mathbf{b}$  ( $|A| \times 1$ ),  $\mathbf{z}$  ( $|A| \times 1$ ) and  $\mathbf{M}$  ( $|A| \times |A|$ )

$$z_k = \exp \left( \frac{1}{\mu} V_n^d(k) \right) \quad M_{ka} = \delta(a|k) \exp \left( \frac{1}{\mu} v_n(a|k) \right)$$

$$P_k = \frac{M_k \bullet z^T}{M_k z}$$

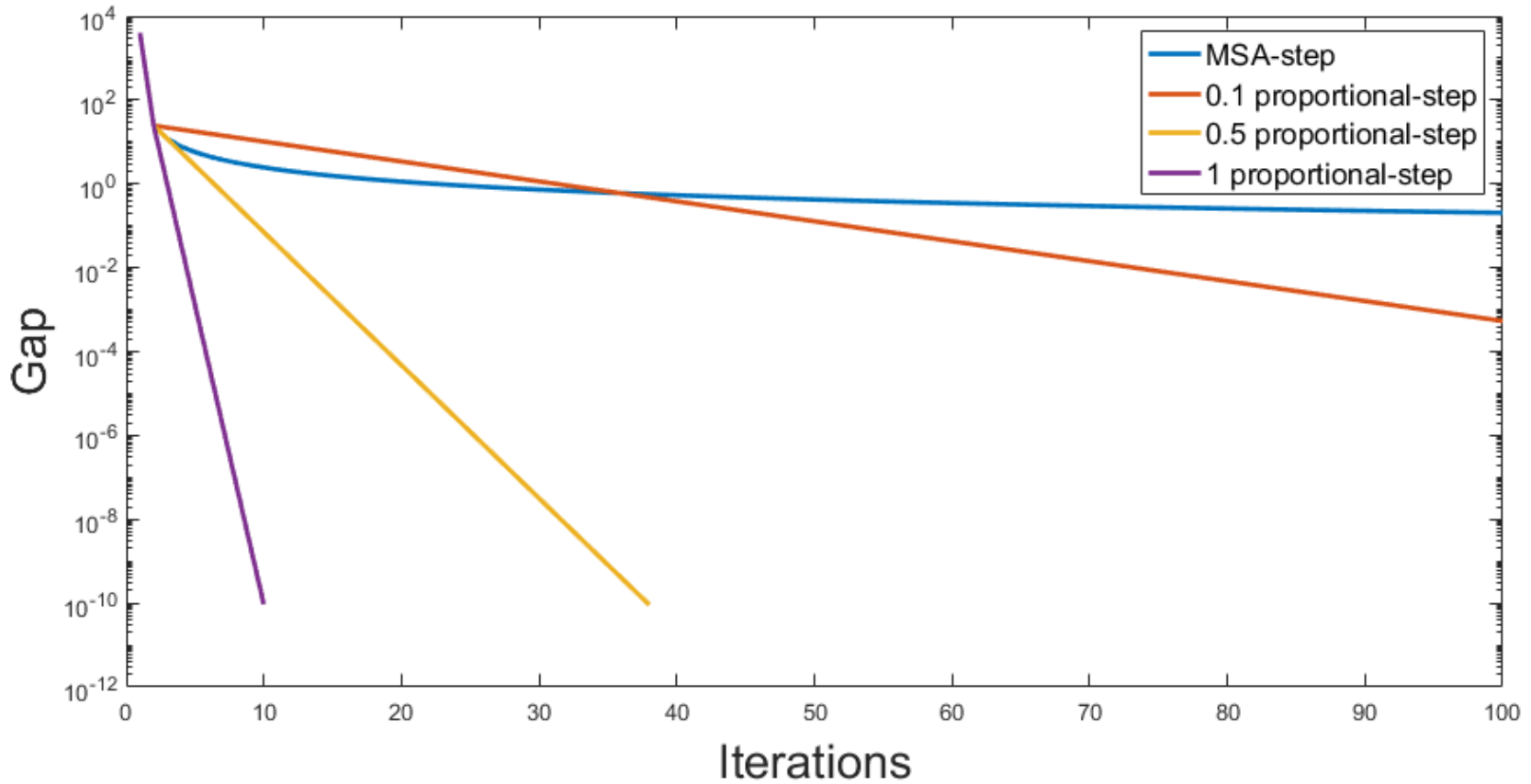
# Static Assignment



Convergence of recursive logit with proportional update



# Invloed van de stap grootte

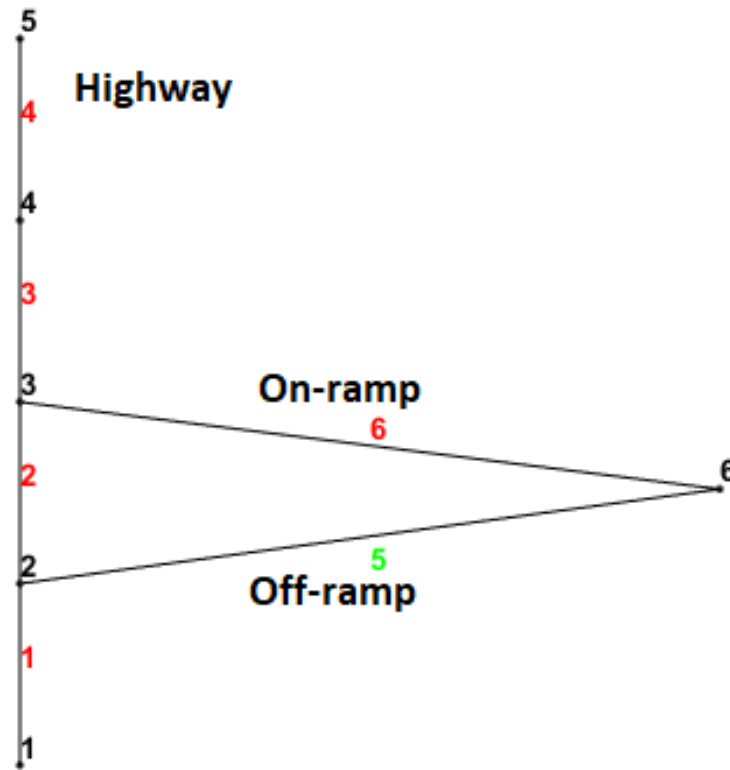


# Route utiliteiten

- Som van link utiliteiten
- Geen Route correlaties
- -> iedere route onafhankelijk van andere routes



# Hierarchy



# Dynamic Traffic Assignment

Input: Travel times & Turn characteristics

Recursive Logit

d= next destination

Maximum Perceived Utility

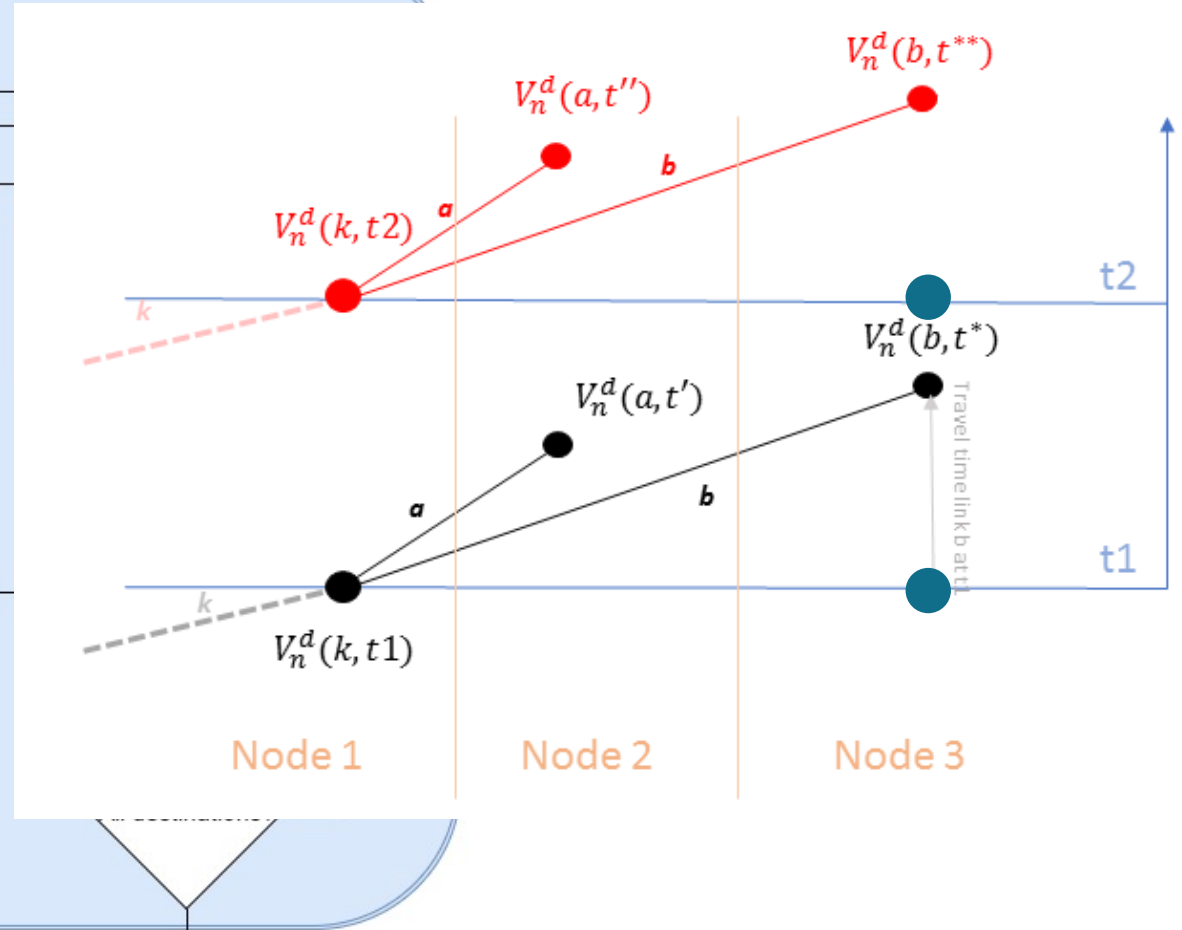
Calculate  $Z(\text{totT}+1)$   
(equation 2.6)

t=totT

Calculate  $Z(t)$   
(by interpolating)

t=t-1

t<0?



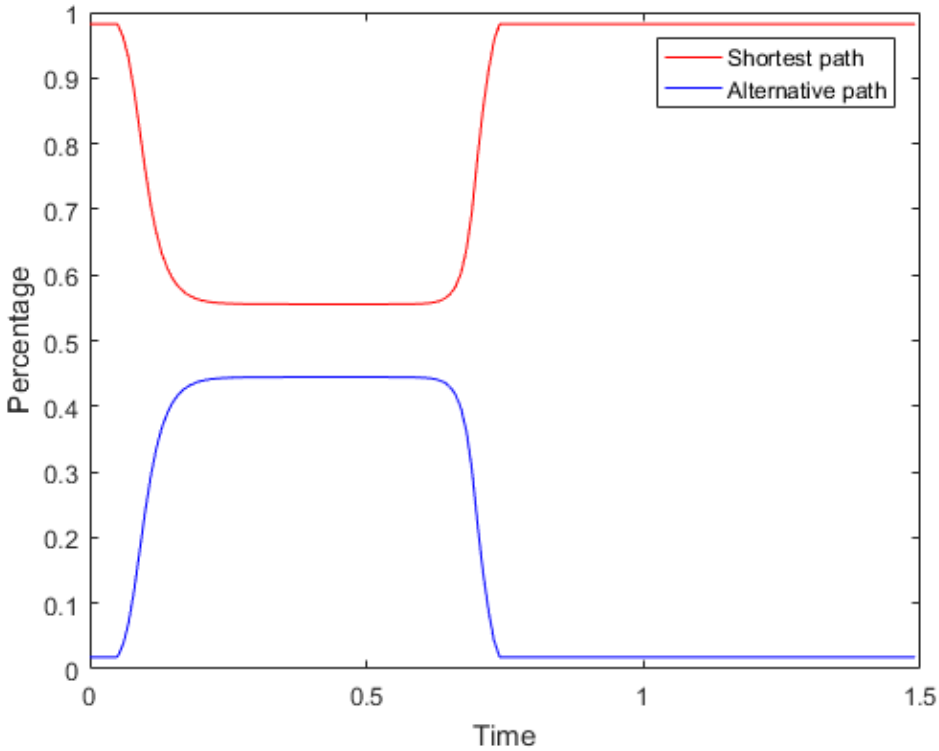
Output: Turning Fractions

# Dynamische Toedeling

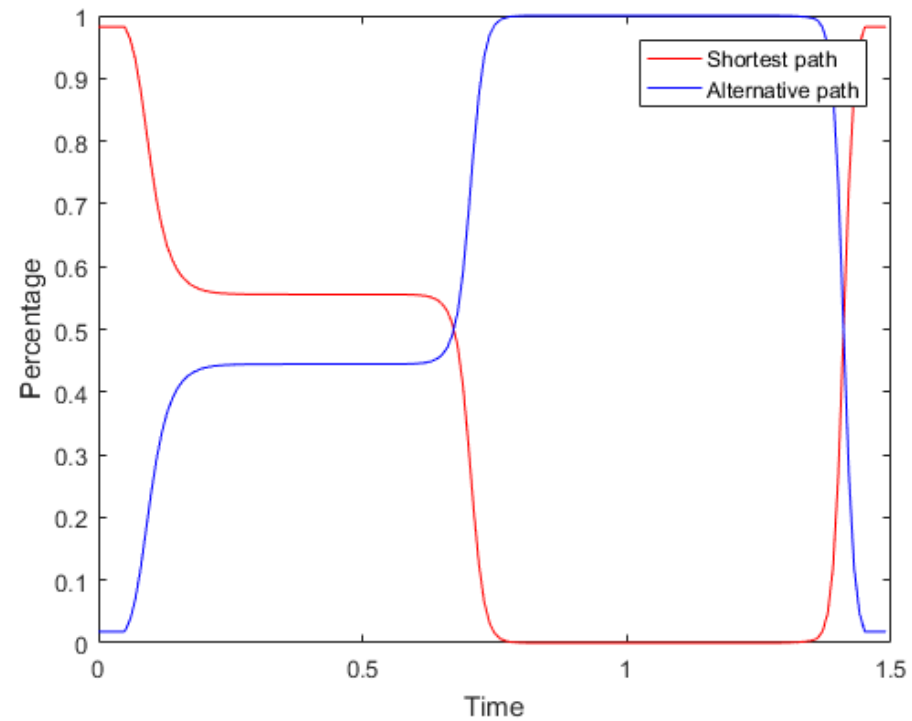
- Over destinations
  - Maximum perceived utility (downstream utility)
    - Stelsel laatste tijdstap
    - Interpoleren andere tijdstappen
  - Kansen voor iedere Turn

# Influence of the step size

$10^5$  — MSA step

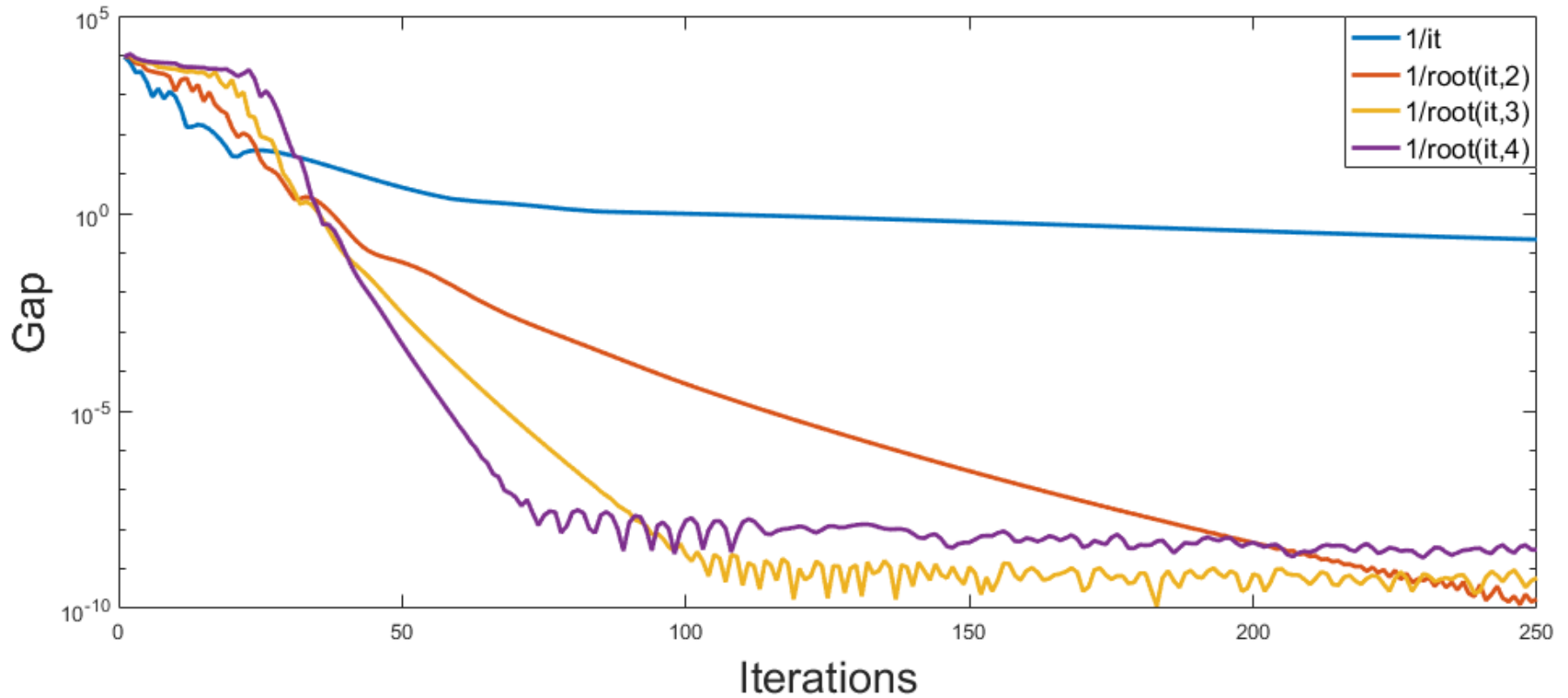


Iteration K +2



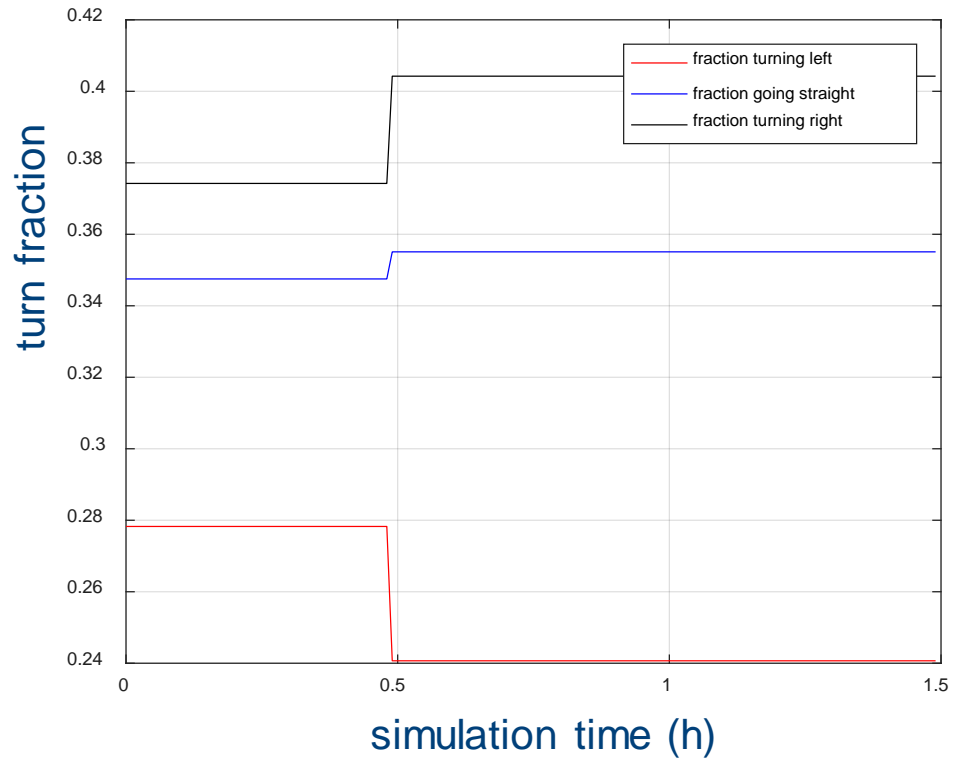
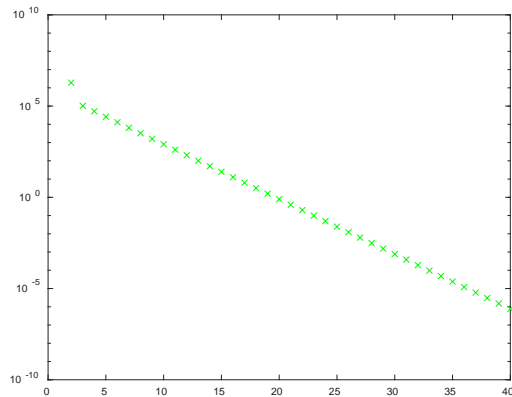
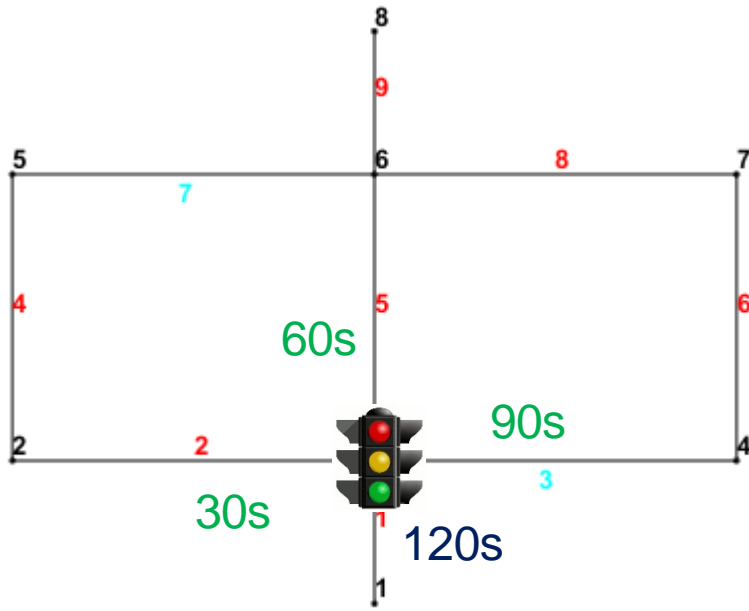
Iteration K+1

# Step sizes dynamic

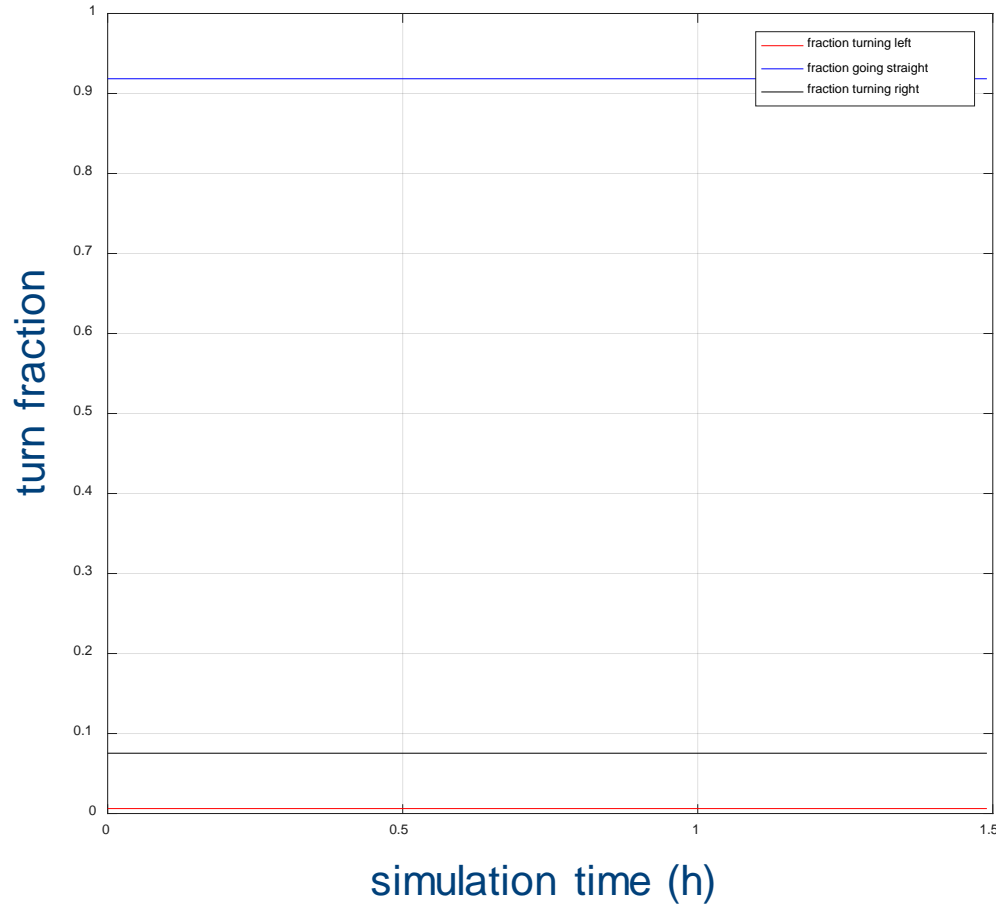
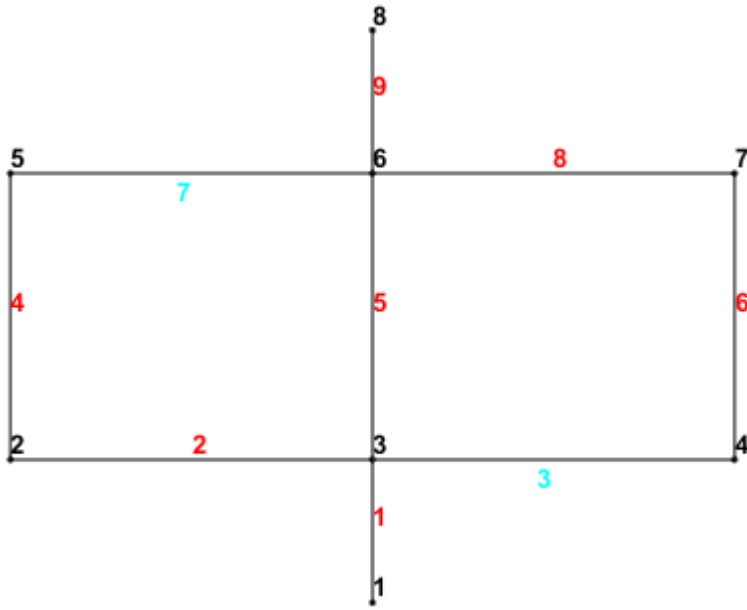




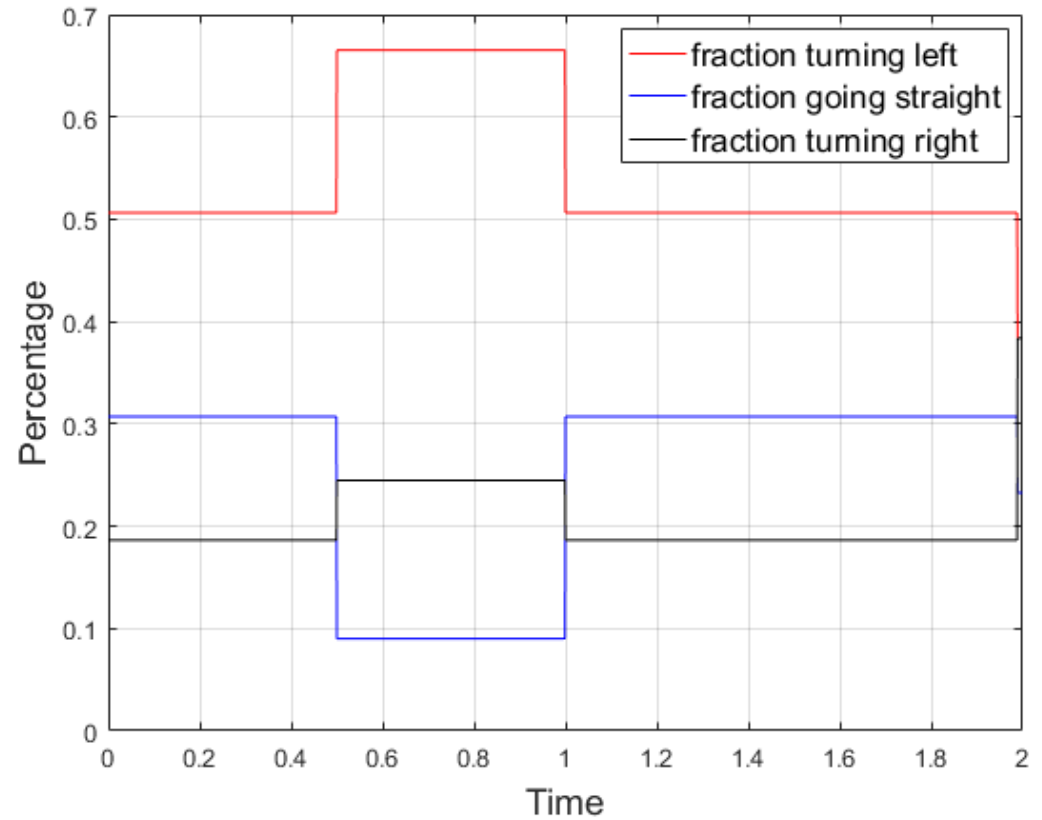
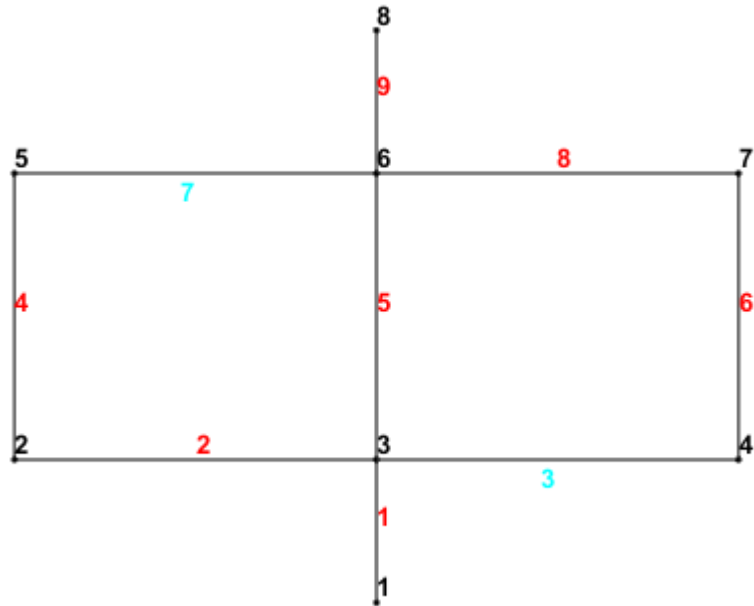
# Intersection Delay



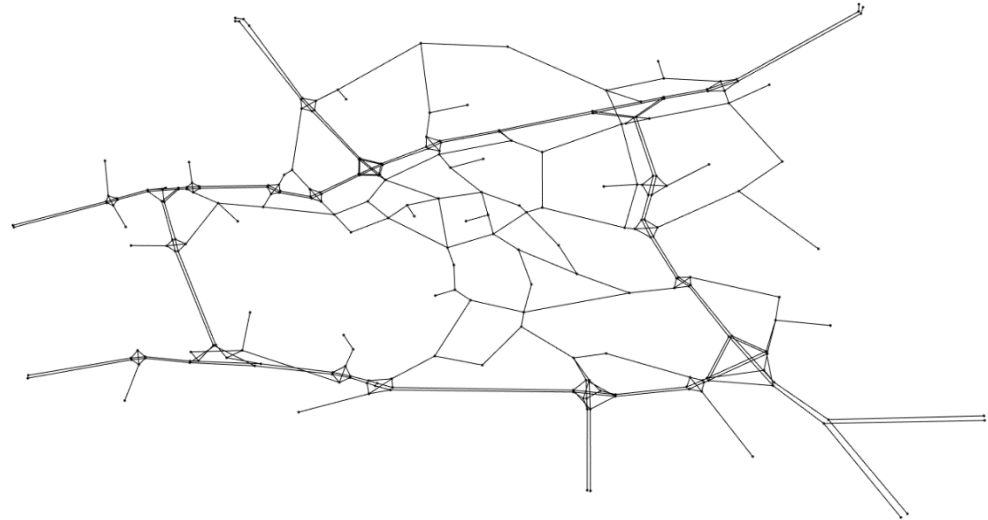
# Intersection Delay – Left, Right Penalty



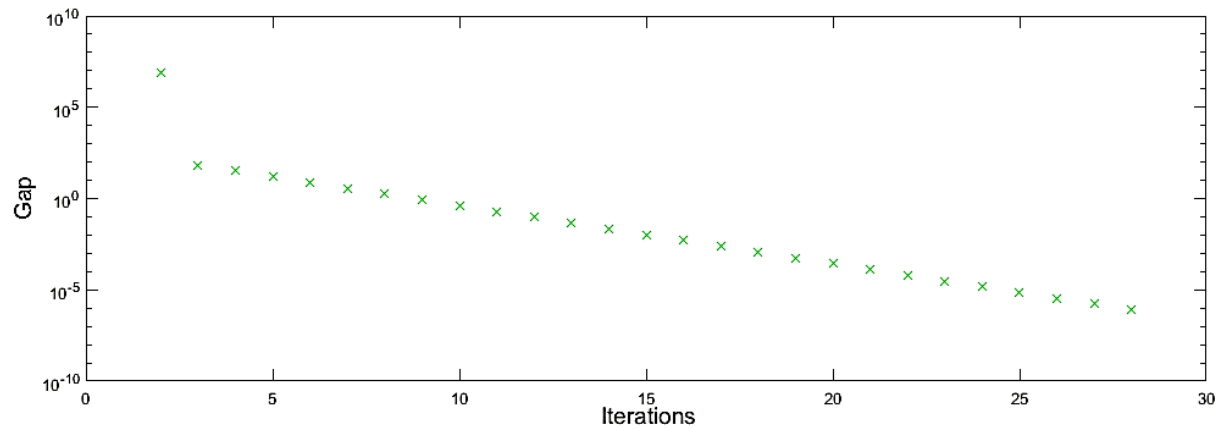
# Dynamic toll



# Rotterdam

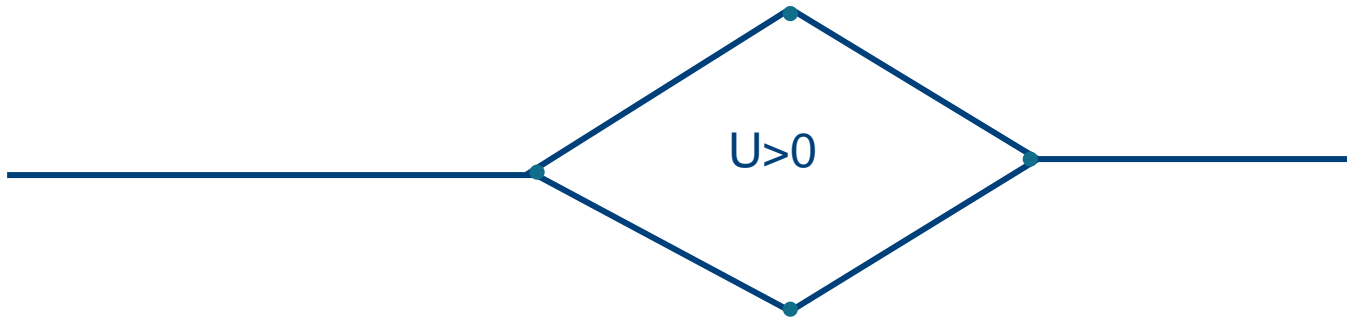


Network	size	#Nodes	#Links	#OD's	#Dest	Period
Rotterdam	600 km	331	562	1890	44	4h



# Guaranteed solution?

$$\mathbf{z} = \mathbf{Mz} + \mathbf{b} \iff (\mathbf{I} - \mathbf{M}) \mathbf{z} = \mathbf{b}$$



# Route set generator

- Vaste route set
- Enkel realistische routes (criteria voor selecteren)

**Of evaluator?**

# Conclusie

- Volledige vaste route set
  - In DTA?
  - Stabieler (betere convergentie)
  - Uitbreidbare turn utiliteiten
  - Minpunt onlogische routes

Niet alleen als keuze model, ook als evaluator of generator

# Vragen

